

# Macro-scale hydrology, does shallow groundwater make a difference?

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UBC/UW Meeting

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# Overview

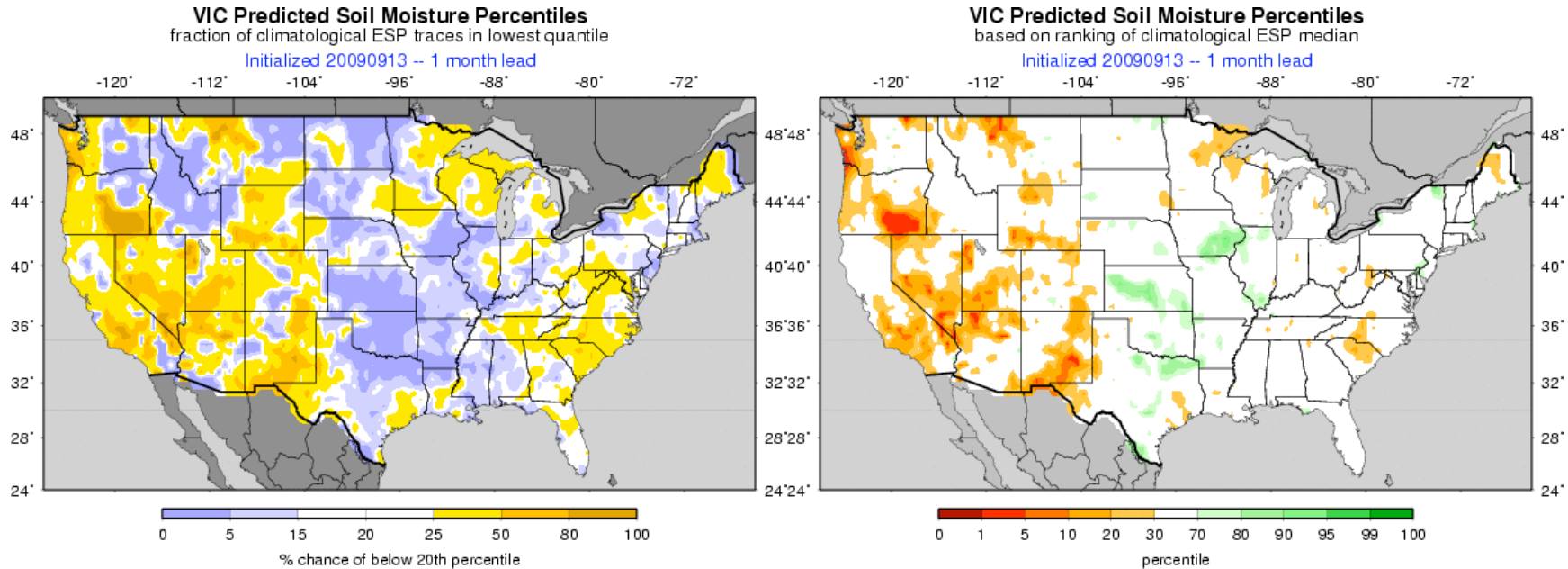
- Introduction/Motivation
- Modeling Approaches
  - Macro-scale groundwater models
  - VIC model modifications
- Model Results
  - Little Wabash River, IL
- Conclusions



# Questions

- How does the absence of shallow groundwater in a land surface model impact the water budget it produces?
- Would shallow groundwater impact drought characterization and forecasting?

# Surface Water Monitor Drought Forecasts



- Forecasts runoff and soil moisture percentiles based on ensemble medians and the probability of drought conditions for 1-, 2- and 3-month lead times.
- 2 types of forecast ensembles:
  - 1960-99 climatology
  - ENSO-determined subsets from 1950-2002 climatology



# Modeling approaches

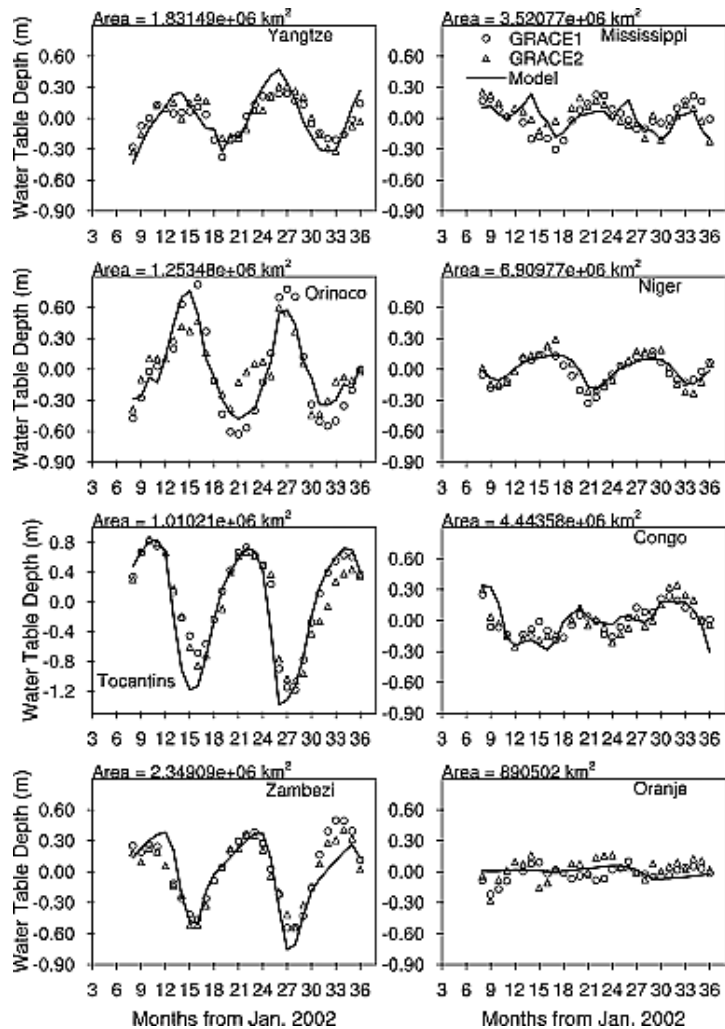
# Groundwater in Macro-scale Land Surface Models

Increasing complexity

- TOPMODEL-based
- Solving soil moisture for unsaturated zone and pressure head profiles for saturated zones separately
- Solving soil moisture profile by applying Richard's equation to unsaturated zone and treating water table as moving boundary
- Solving hydraulic pressure profile for unsaturated and saturated zones together

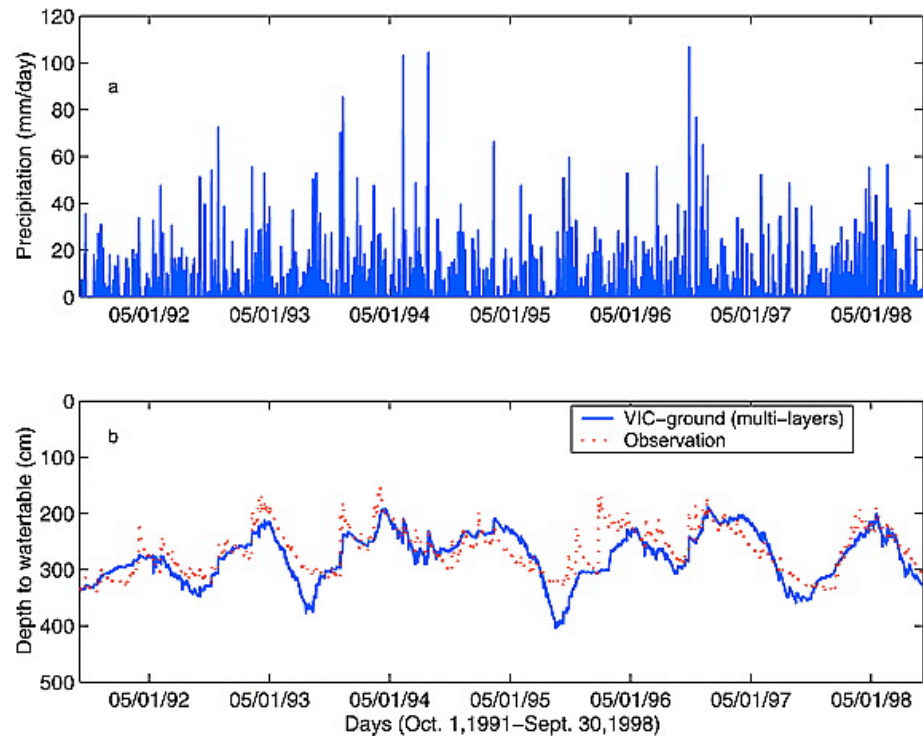
## SIMGM (Niu et al. 2007)

- Solving soil moisture for unsaturated zone and pressure head profiles for saturated zones separately



## VIC-ground (Liang et al. 2003)

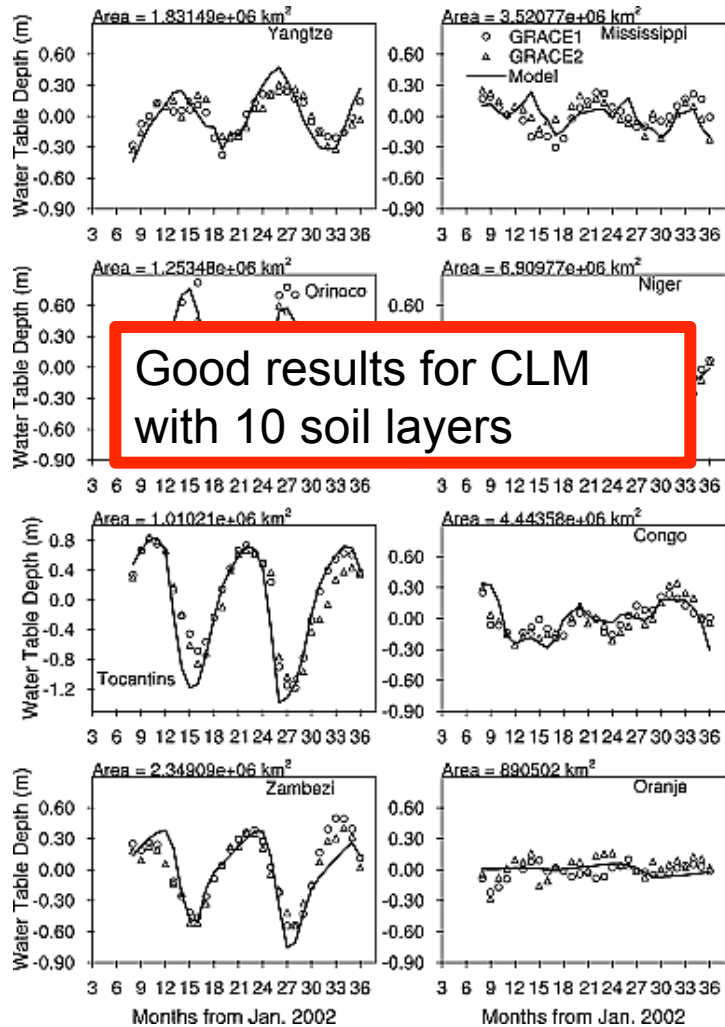
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Results for Tulpehocken Creek watershed (in Pennsylvania) with a drainage area of 172 km<sup>2</sup>

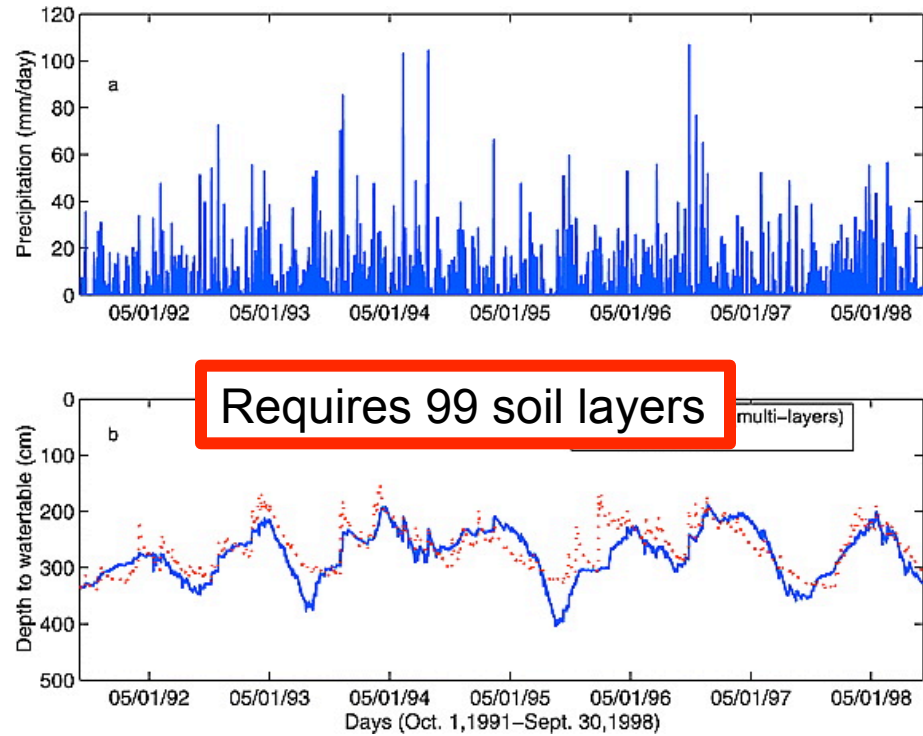
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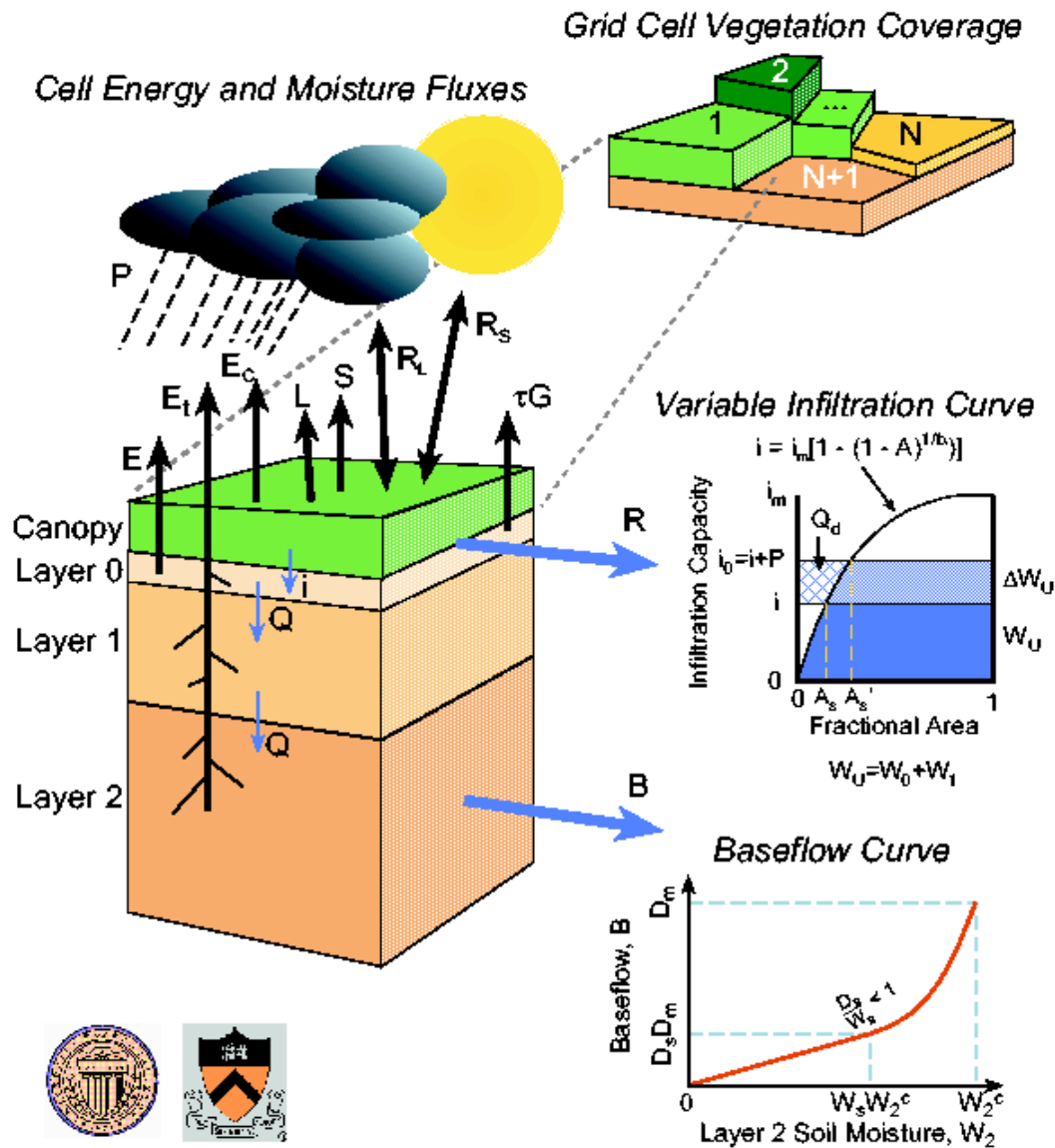


# Macro-scale modeling needs

- Must be computationally efficient

Resolution	Continental U.S. Number of grid cells	West-wide Region (including Mexico) Number of grid cells
1/2° x 1/2°	3,322	~2,672
1/8° x 1/8°	56,335	42,767
100 m x 100 m	~563,350,000	~427,670,000

## Variable Infiltration Capacity (VIC) Macroscale Hydrologic Model



## Model Set-up

### Commonalities:

- 1) Forcings: Precipitation, Tmax, Tmin, Wind
- 2) Sub-grid cell vegetation, roots distributed in soil layers
- 3) Surface runoff, Variable Infiltration Curve
- 4) Soil and canopy evaporation
- 5) Transpiration from vegetation
- 6) Snow
- 7) Energy balance optional
- 8) Vertical soil moisture drainage

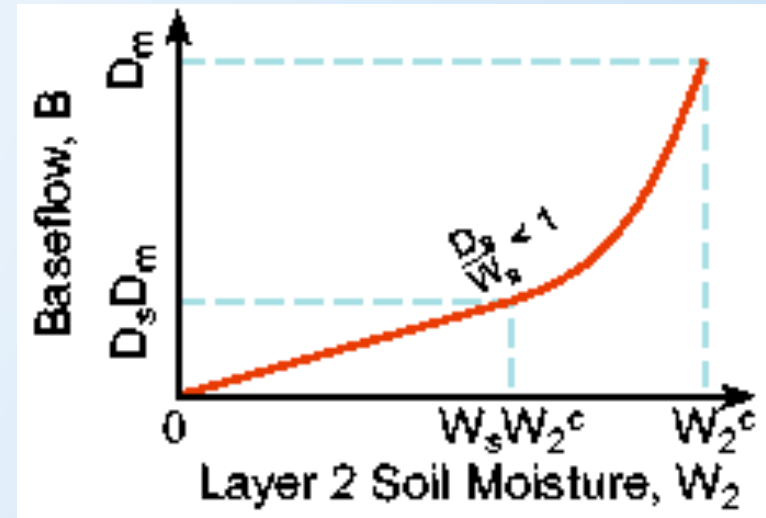
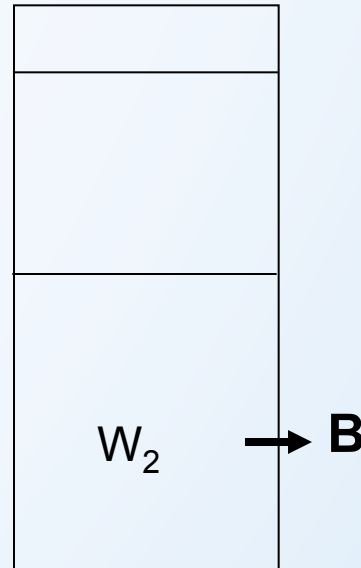
### Differences:

- 1) VIC-SIMGM includes unconfined aquifer
- 2) Subsurface flow parameterization

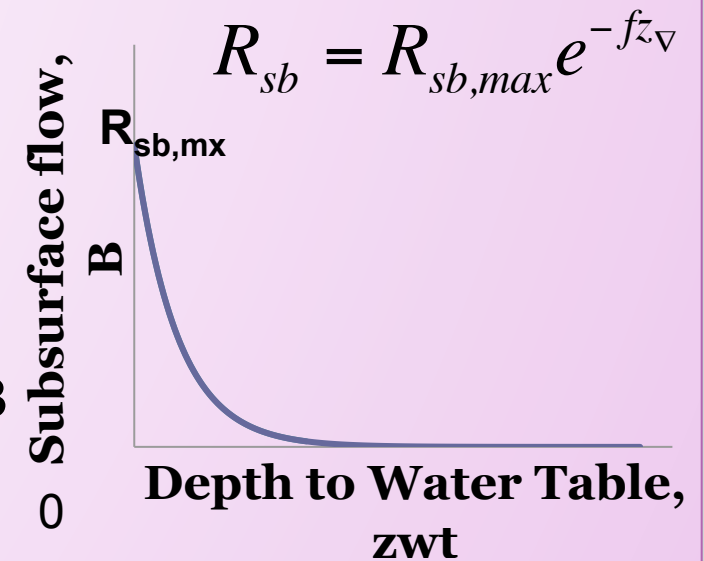
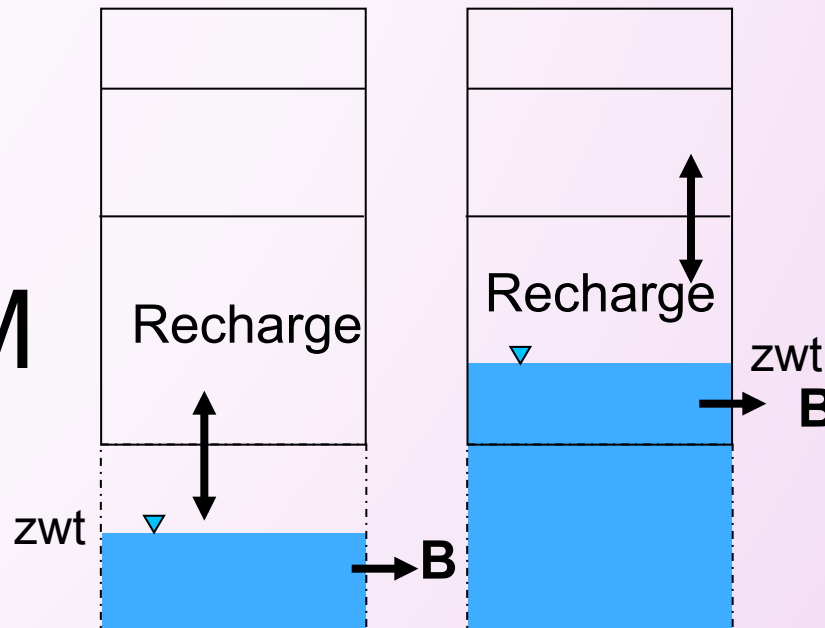


# Subsurface flow (baseflow)

VIC



VIC-SIMGM



# SIMple Groundwater Model

$$\frac{dW_a}{dt} = Q - R_{sb}$$

$$R_{sb} = R_{sb,max} e^{-f \frac{z}{z_{\nabla}}}$$

$$Q = -K_a \frac{dh}{dz}$$

$W_a$  = aquifer storage

$Q$  = recharge to groundwater

$R_{sb}$  = groundwater discharge

$R_{sb,max}$  = maximum groundwater discharge

$f$  = decay factor

$K_a$  = hydraulic conductivity

$h$  = matric potential + gravity (elevation) potential

$z$  = layer depth

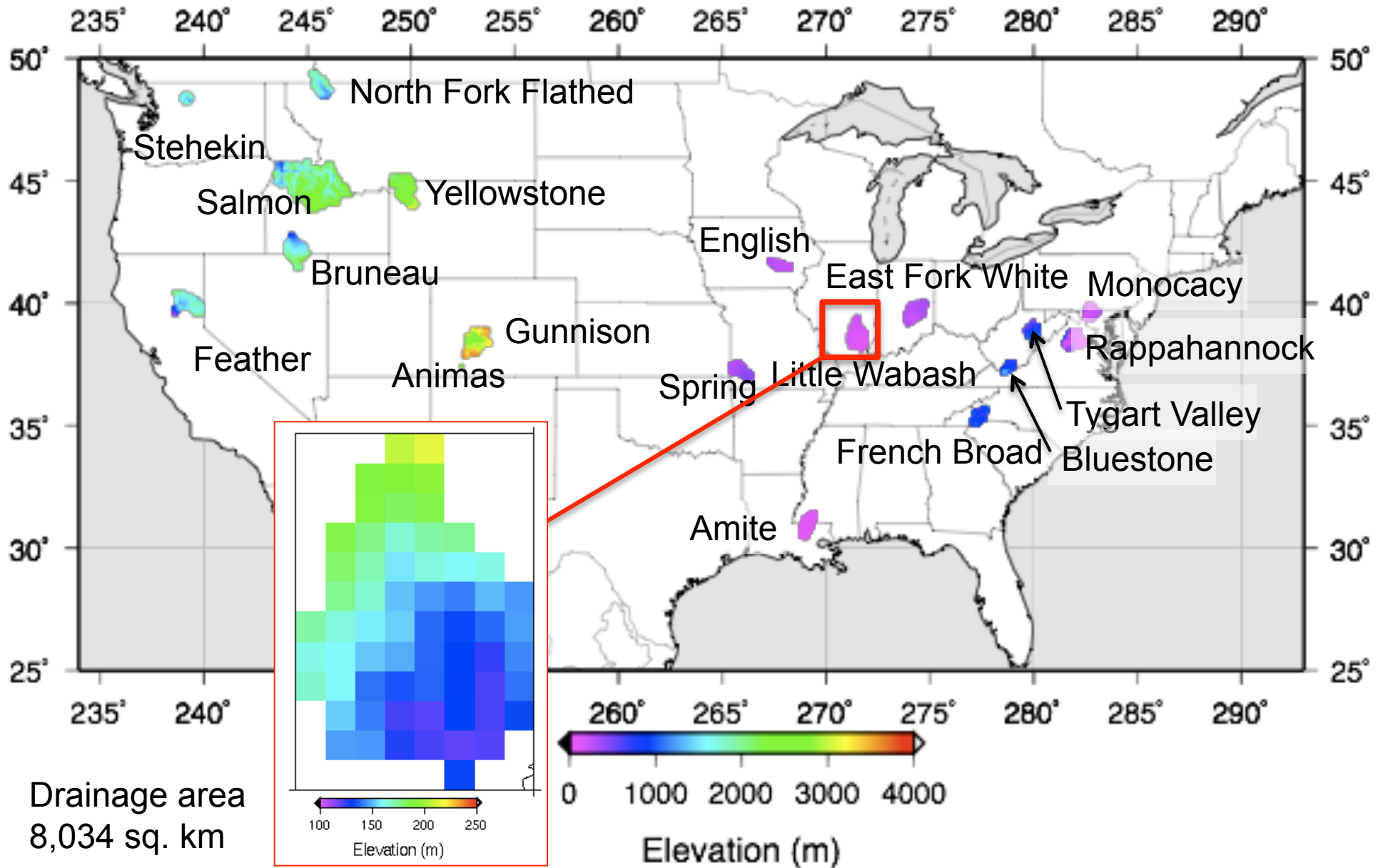
$z_{\nabla}$  = depth to water table

$$z_{\nabla} = F(z_{bot}, W_a, \text{specific yield, effective porosity})$$



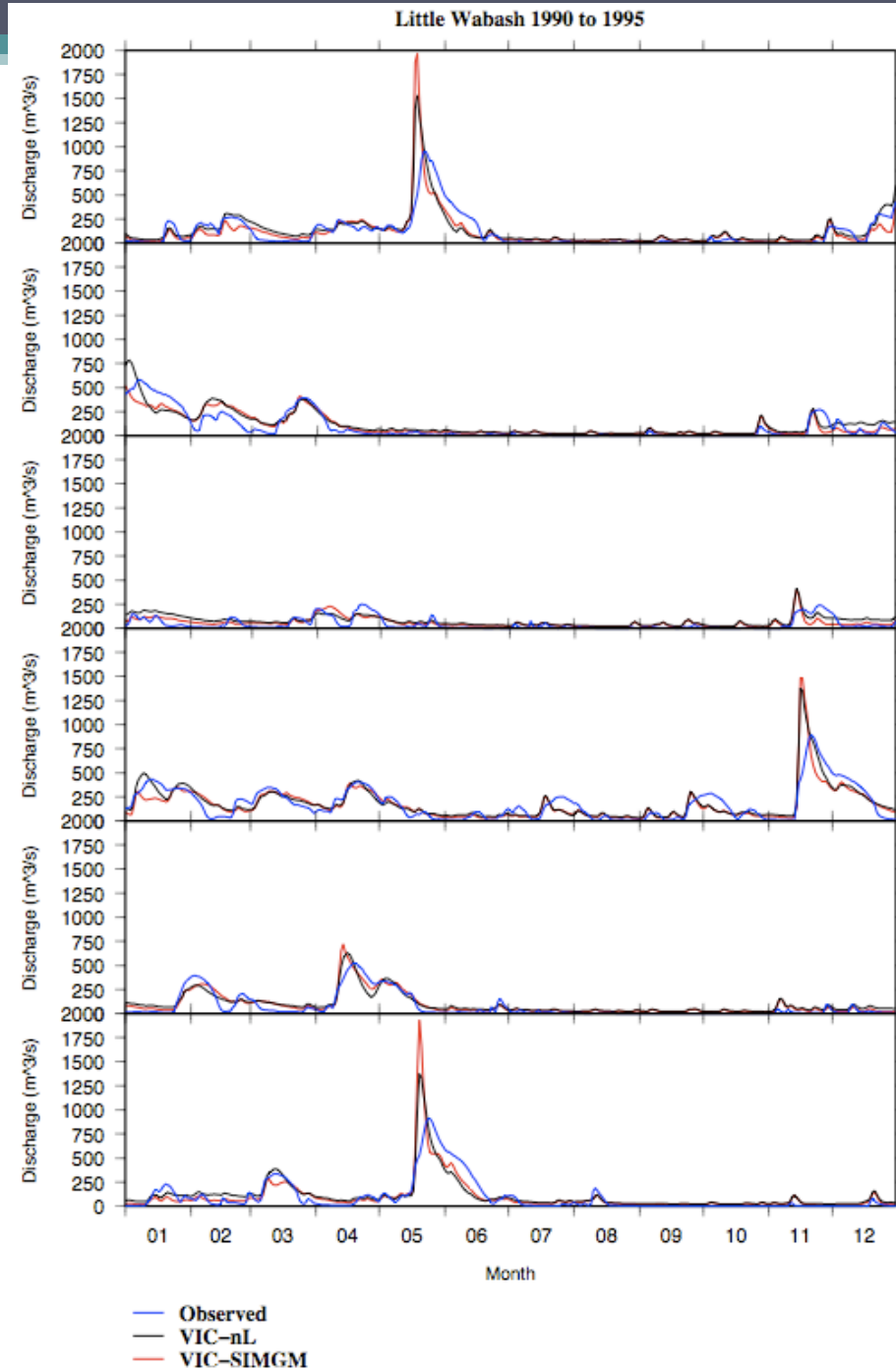
# Model Application and Results

# Test sites



# Daily Streamflow

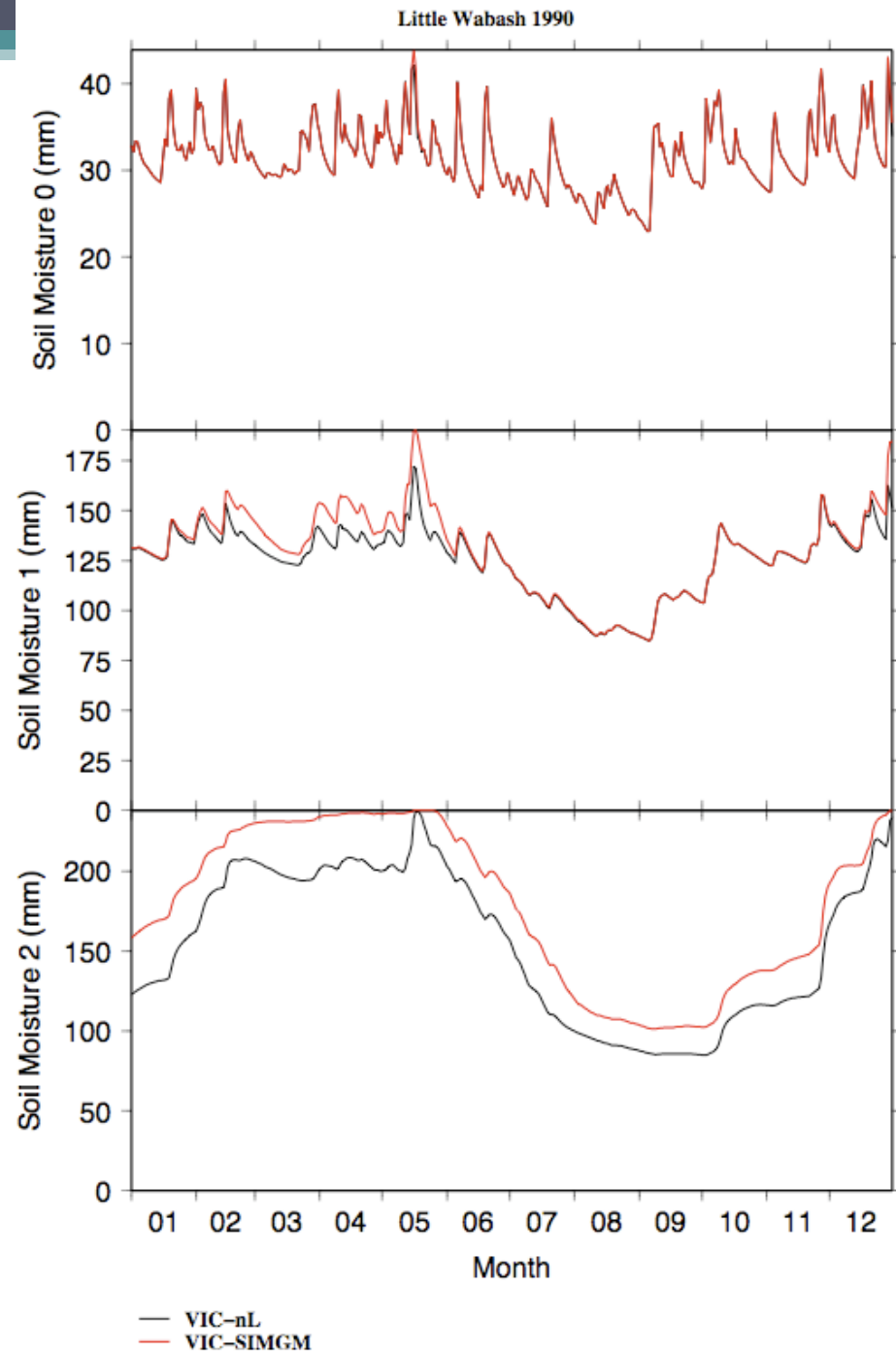
1953-99	VIC-nL	VIC-SIMGM
NSE of daily Q	0.69	0.62
NSE of ln (daily Q)	0.42	0.59
R <sup>2</sup>	0.75	0.66



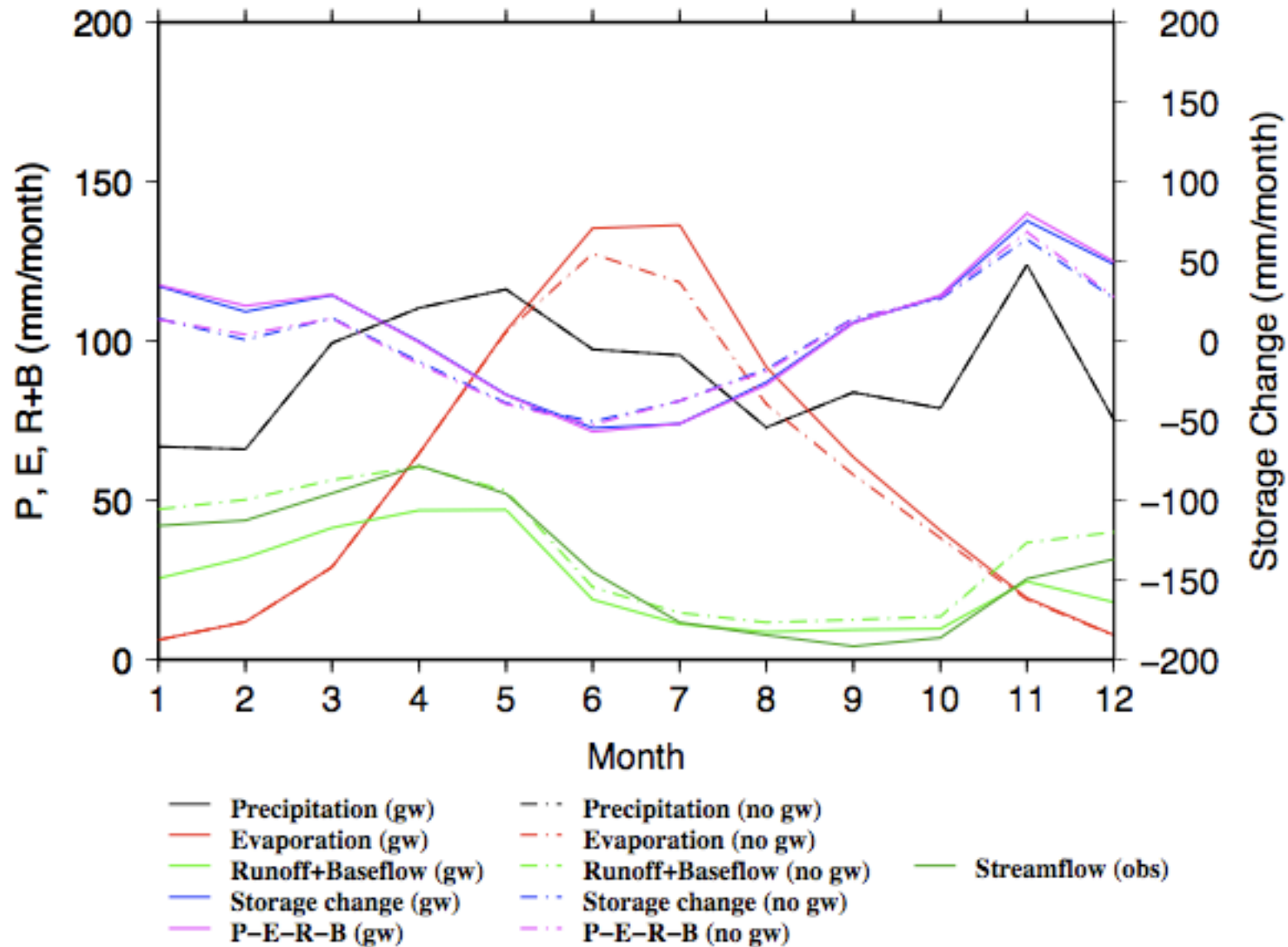




# Daily Soil Moisture

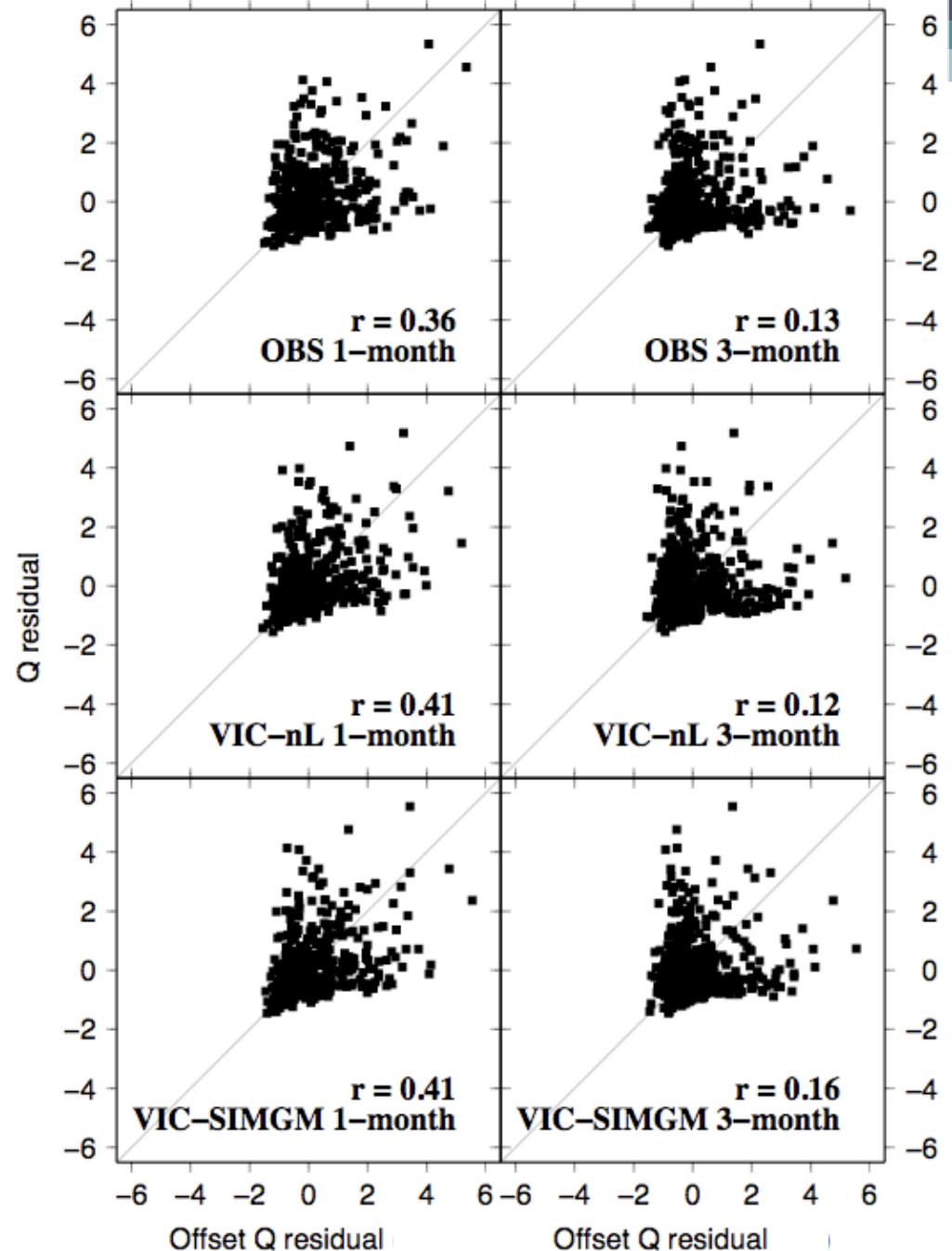


# Average Monthly Water Balance 1984-1998



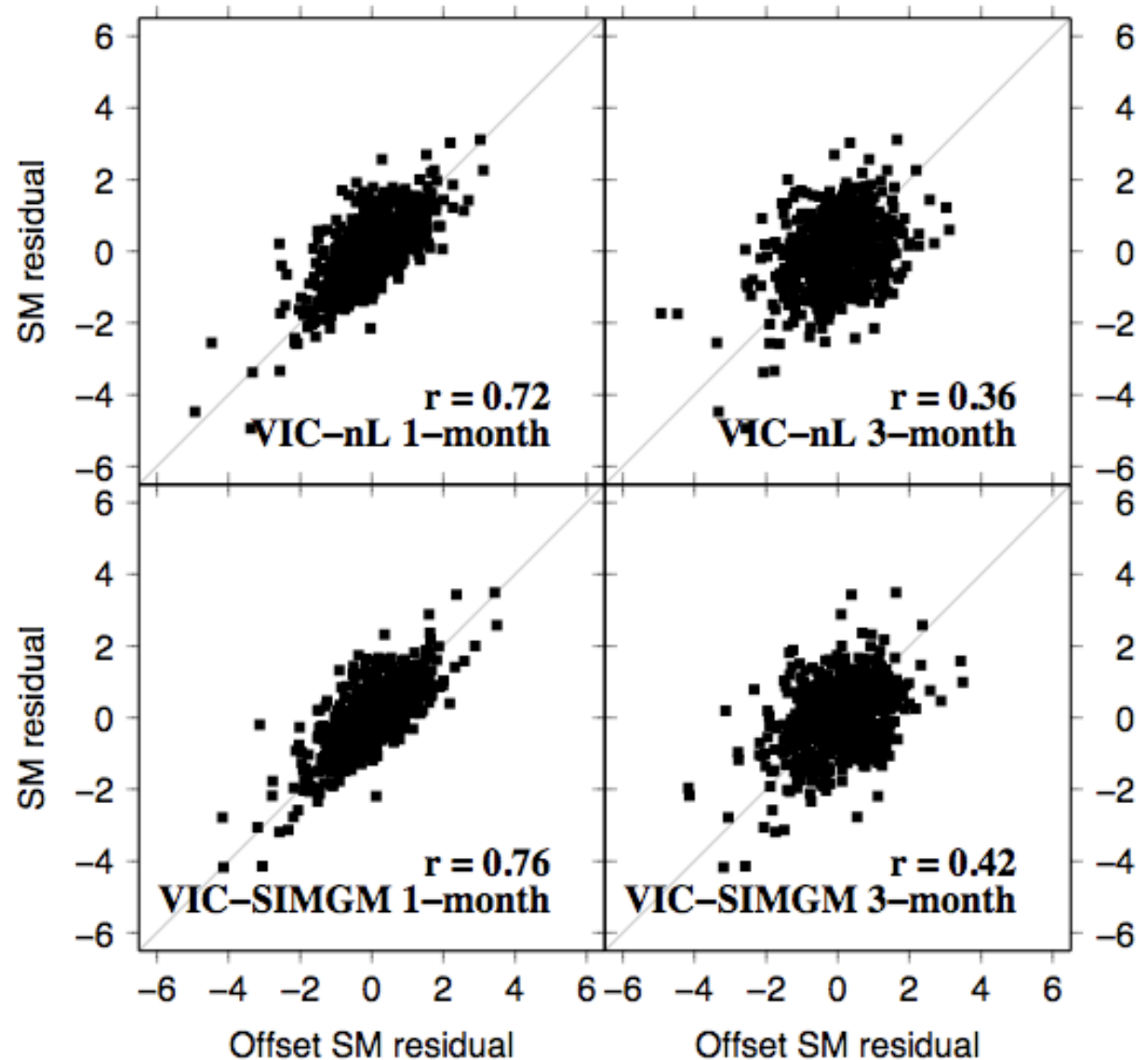
# Streamflow Persistence

- $Q_{\text{residual}} = (Q_{i,\text{mo}} - \mu_{Q,\text{mo}}) / \sigma_{Q,\text{mo}}$
- Correlations between flow in month 1 (Q residual) with flow in month n (Offset Q residual)
- VIC-SIMGGM performs similarly well as VIC-nL



# Soil Moisture Persistence

- $SM_{\text{residual}} = (SM_{i,mo} - \mu_{SM,mo}) / \sigma_{SM,mo}$
- VIC-SIMGM soil moisture shows a slightly stronger correlation with past soil moisture



# Conclusions

- For the Little Wabash River in Illinois,
- VIC-SIMGGM can produce comparably reasonable streamflow estimates to those of VIC-nL
  - The inclusion of groundwater primarily impacts:
    - Deep layer soil moisture
    - Summertime evapotranspiration
  - VIC-SIMGGM has a slightly higher lagged correlation than VIC-nL but the differences seem unlikely to have a strong impact on drought forecasting.



# Acknowledgements

- Thanks to:
  - USGS for funding
  - Guo-Yue Niu for providing SIMGM code



Extra slides

# SIMGM: Recharge (Q)

Water table in “aquifer”

- Recharge from Darcy’s Equation:

$$Q = -K_a \frac{-z_{\nabla} - (\psi_{bot} - z_{bot})}{z_{\nabla} - z_{bot}}$$

$$= K_a + K_a \frac{\psi_{bot}}{z_{\nabla} - z_{bot}}$$

↗  
Gravitational  
Drainage

↑  
Capillary  
Rise

- Hydraulic Conductivity in Aquifer

$$K_a = k_{bot} \frac{(1 - e^{-f(z_{\nabla} - z_{bot})})}{f(z_{\nabla} - z_{bot})}$$

Water table in soil column

- No exchange between “aquifer” and soil column

$$Q_i = -K_{i,\nabla} \frac{(\psi_{sat} - z_{\nabla}) - (\psi_i - z_i)}{z_{\nabla} - z_i}$$

$$= K_{i,\nabla} + K_{i,\nabla} \frac{\psi_i - \psi_{sat}}{z_{\nabla} - z_i}$$

↗  
Gravitational  
Drainage

↑  
Capillary  
Rise

- Hydraulic Conductivity between layers based on soil texture and water content



# SIMG: Discharge ( $R_{sb}$ )

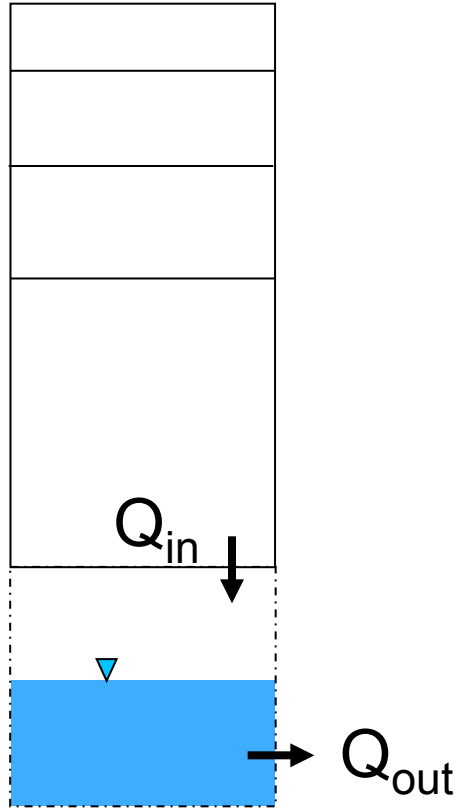
- TOPMODEL-based formulation
  - Topographic (or wetness) index:  $\lambda = \ln(a/\tan \beta)$ 
    - $a$  = specific catchment area,  $\tan \beta$  = local surface topographic slope

$$R_{sb} = R_{sb,max} e^{-fz_{\nabla}}$$

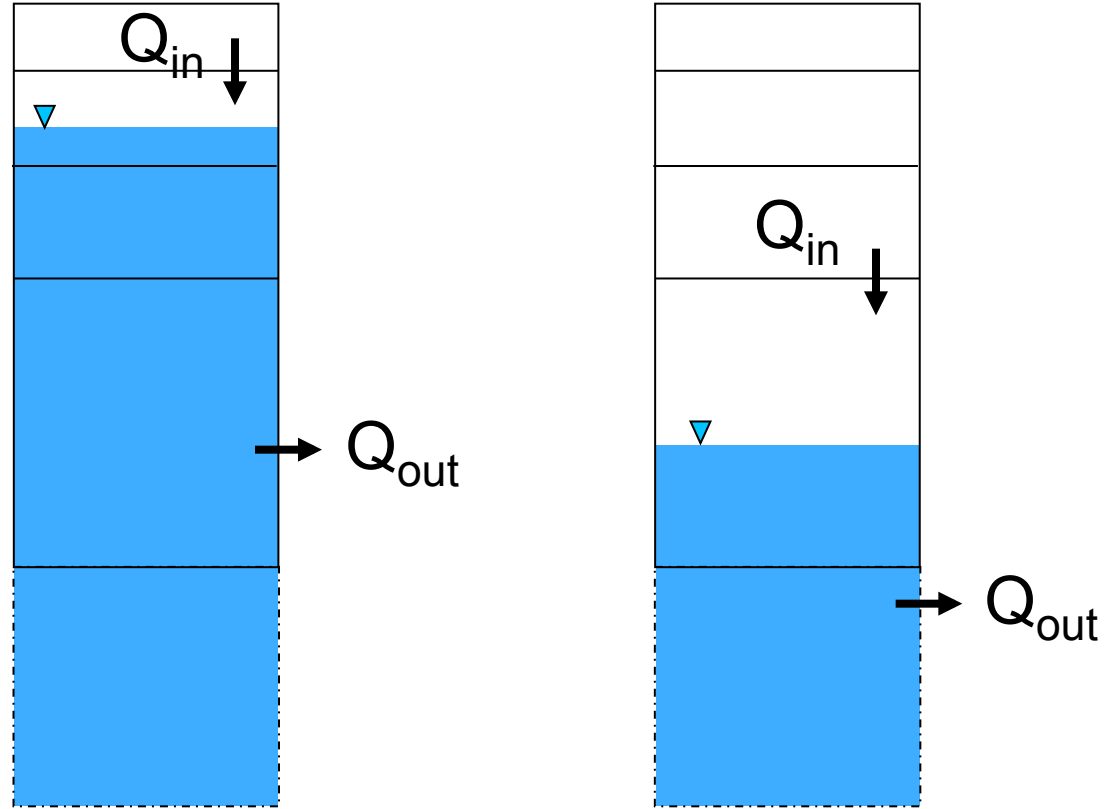
- $f$  can be determined by sensitivity analysis or calibration against a hydrograph recession curve
- $R_{sb,max} = \alpha K_{sat}(o) e^{-\lambda/f}$
- $\alpha \quad K_{sat}$
- Issue: Not enough high resolution (~30 m x 30 m) DEM data to calculate  $\lambda$ . Calibrated to 16 wells in Illinois and performed sensitivity analysis to justify applying globally.

$$\text{SIMGM: } W_a = W_a + (Q - R_{sb}) * dt$$

$$z_{wt} = z_{bottom} - \frac{W_a}{S_y} + 25$$

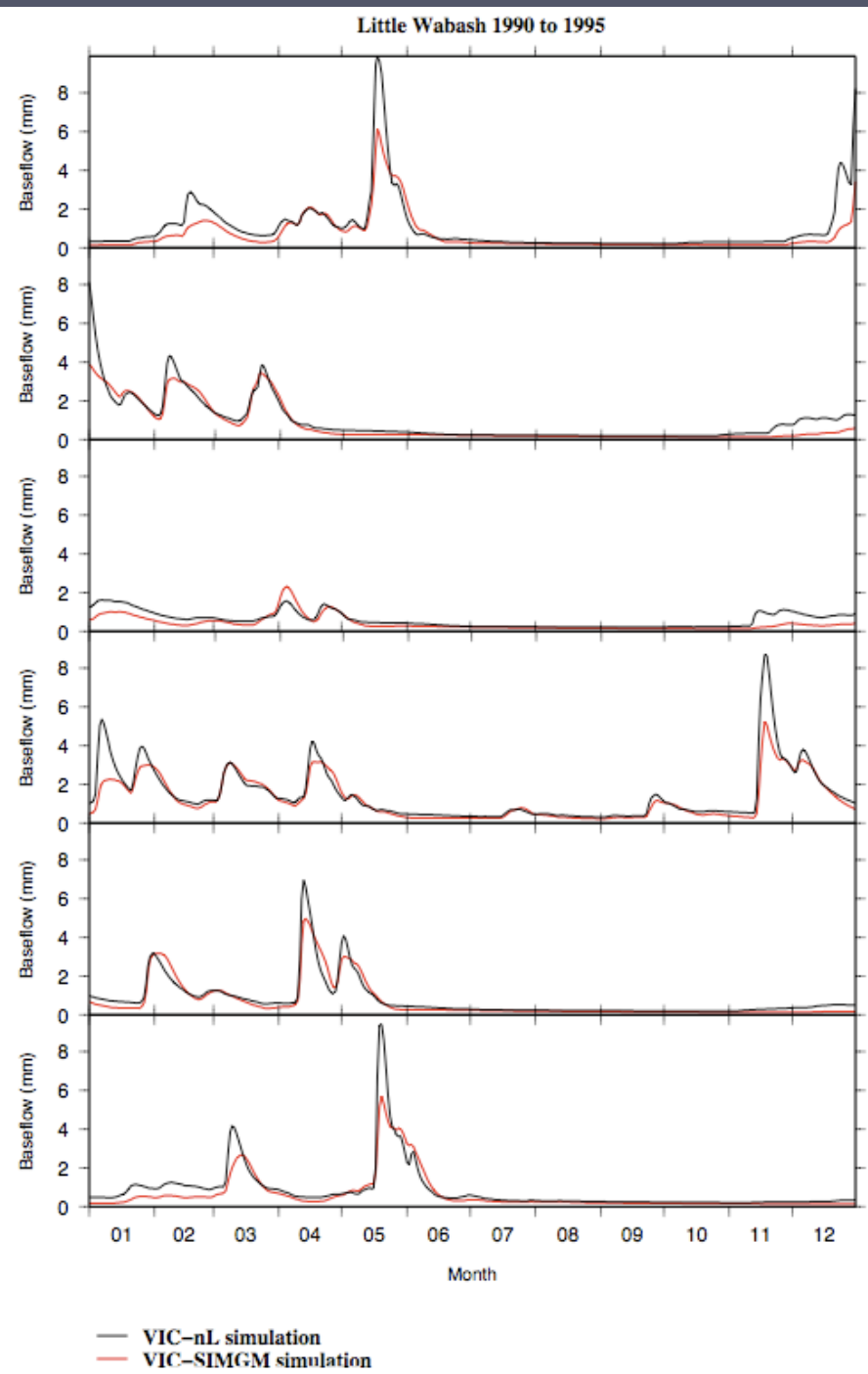


$$z_{wt} = z_{bottom} - \frac{W_a - S_y * 25}{\eta_e}$$

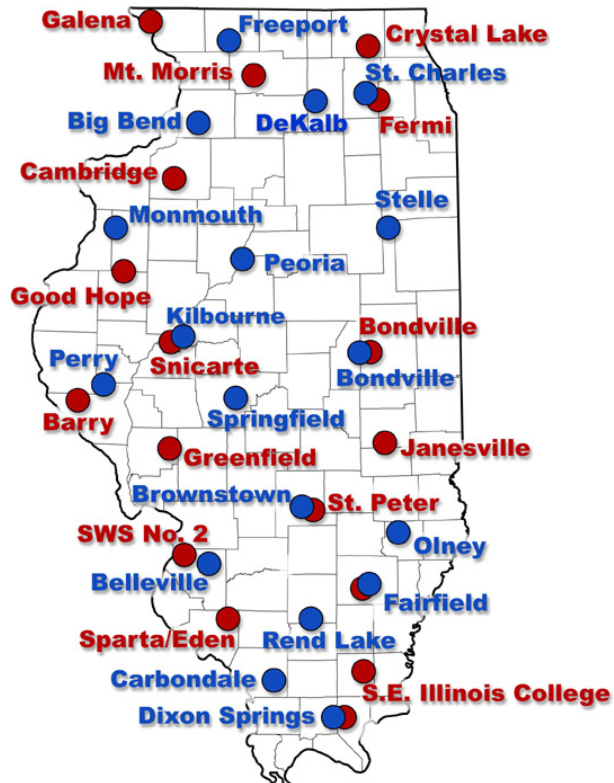


$$z_{wt} = z_{bottom} - \frac{W_a - S_y * 25 - \text{water in soil air pores}}{\eta_e}$$

# Daily Baseflow



# Daily Depth to Water Table



● **WARM Wells** From late 1980s

● **ICN Wells** From ~1997

<http://www.sws.uiuc.edu/warm/sgwdata/wells.aspx>

Little Wabash 1990 to 1995

